GAS LAWS

indirect variation

temperature constant

CHEM

Boyle's

$$p \propto \frac{1}{V}$$

$$p = \frac{k}{V}$$

$$k = PV$$

 $P_1V_1 = P_2V_2$

P r e s s u r

Volume (L)

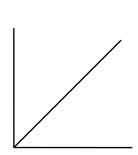
Charles'

$$V \propto T$$

$$V = kT$$

$$k = \frac{V}{T}$$

direct variation pressure constant V O I u m (L)



Temp (K)

Gay Lussac's

$$P \propto T$$

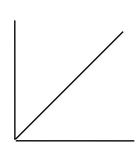
$$P = kT$$

$$k = \frac{P}{T}$$

 $\frac{P_1}{T_1} = \frac{P_2}{T_2}$

direct variation volume constant

P (κPa)
r
e
s
s
u
r



Temp (K)

Dalton's partial pressure

$$P = \overline{p} gas + \overline{p} H_2 O_{(g)}$$

$$P = \text{total pressure}$$

$$\overline{p}$$
 = partial pressure

GAS LAWS

Combined Gas Law

$$\frac{P_1 V_1}{T_1} = \frac{P_2 V_2}{T_2}$$

change in variables P,V,T

Ideal Gas Law

$$PV = nRT$$

101 κPa

reaction NOT at STP

P = pressure

V = volumen = moles

T = temperature(K)

R = constant

S T P
(Standard Temperature Pressure)
273 K 0° C 1 atm 760 mm Hg

S A T P
(Standard Ambiant Temperature Pressure)
298 K 25° C 101 κPa

* Temperature must always be in Kelvin

$$T = 273 K + ^{\circ} C$$

1. change $25^{\circ} C$ to Kelvin

$$T = 273 K + 25^{\circ} C$$

$$T = 298 \ K$$

2. change $-25^{\circ} C$ to Kelvin

$$T = 273K + \left(-25^{\circ}C\right)$$

$$T = 248K$$

Molar volume of gas at STP is $\frac{22.4 L}{mole}$

Kinetic Energy $E\kappa = \frac{1}{2}mv^2$

Pressure
$$=\frac{\text{force}}{\text{area}}$$

her	n				Page
1.	>	temperature	>	kinetic energy	
2.	>	temperature	>	molar volume	
3.	>	temperature	\rangle	pressure	
	i.e.,	driving a car the tempe	rature o	of tires increase, therefore pressure increases	
4.	>	temperature (ave $E\kappa$)	>	average velocity of molecules (still will be some slow and fast moving molecules)	
5.	\rangle	molecules	>	pressure	
6.	>	moles	>	volume	
7.) i.e.,	pressure pressure doubled v	〈 volume o	volume decreased 1/2	
	,	1			
8.	Gas moves in air, therefore easy to compress				
9.		ume available in gas mu ce available.	ıch grea	nter than in solid or liquid since the gas will expand to fill	l the

10. Atmospheric pressure <u>decreases</u> with increasing altitude.

QUESTIONS

1. Problem: A sudden depressurization on a Canadian Airlines flight causes the air volume to increase from 152 cm to 158 cm. If the pressure was standard before the oxygen masks were deployed, what was the drop in pressure within the cabin? (Assume there was no change in temperature.)

GAS LAWS

Solution:

$$V_1 = 152 \text{ cm}^3$$

 $V_2 = 158 \text{ cm}^3$
 $P_1V_1 = P_2V_2$
 $(101\kappa Pa)(152cm^3) = P_2(158cm^3)$
 $P_1 = 101 \kappa Pa$
 $P_2 = 97.2 \kappa Pa$

2. Problem: Before its early demise, the Dairy Queen hot air balloon flew the skies of Calgary. If the volume of gas in the balloon was initially 12.0 L when a sudden decrease in temp. from 25.0° C to 10.0° C occurred, what was the volume after the change in temp.?

Solution:

$$V_1 = 12.0 L$$
 $T_1 = 25.0^{\circ} C = 298 K$ $V_2 = ?$ $T_2 = 10.0^{\circ} C = 283 K$

$$\frac{V_1}{T_1} = \frac{V_2}{T_2}$$

$$\frac{12.0 L}{298 K} = \frac{V_2}{283 K}$$

$$V_2 = 11.4 L$$

3. Problem: A tank of propane has a pressure of 150.0 κPa at 19.0° C. If this tank can withstand a pressure of 200.0 κPa , will it explode if the temperature rises to 100.0° C?

Solution:

$$P_{1} = 150.0 \ \kappa Pa$$
 $P_{2} = ?$
 $\frac{P_{1}}{T_{1}} = \frac{P_{2}}{T_{2}}$
 $\frac{150.0 \ \kappa Pa}{292 \ K} = \frac{P_{2}}{373.0 \ K}$
 $P_{2} = 192 \ \kappa Pa$ No!

$$T_1 = 19.0^{\circ} C + 273 K = 292 K$$

 $T_2 = 100.0^{\circ} C + 273 K = 373.0 K$

Problem: A weather balloon contains 532 mL of gas at 650 mm Hg when 16.0 km above the earth's surface where the temperature is $-25.0^{\circ} C$. what would the pressure be on the earth's surface if the temperature is 298 K and the volume is 546 mL?

$$P_{1} = 650mmHg$$

$$T_{1} = -25.0^{\circ}C = 248K$$

$$V_{1} = 532mL$$

$$\frac{P_{1}V_{1}}{T_{1}} = \frac{P_{2}V_{2}}{T_{2}}$$

$$\frac{(650mm)(532mL)}{248K} = \frac{(P_{2})(546mL)}{298K}$$

$$V_{2} = 761 mm Hg$$
:

$$P_2 = ?$$

$$T_2 = 298 K$$

$$V_2 = 546 mL$$

5. Problem: A 2.7 *L* sample of chlorine gas has a pressure of 1.21 *atm* at 59° *C*. What mass of chlorine gas is present?

Given
$$R = \frac{0.082atm \cdot L}{mole \cdot K}$$

Solution:

$$V = 2.7 L$$

$$PV = nRT$$

$$P = 1.21 atm$$

$$T = 59^{\circ} C = 332 K$$

$$R = \frac{0.082 atm \cdot L}{mole \cdot K}$$

$$n = 0.12 moles$$

$$n = 0.12 moles$$

$$n = 9$$

6. Problem: How many moles are present in $3.65 \times 10^5 \, mL$ of $CH_{4(g)}$ at STP?

Solution:

$$3.65 \times 10^5 \ mL \times \frac{1 \ L}{1000 \ mL} \times \frac{1 \ mole}{22.4 \ L} = 16.3 \ moles$$

7. Problem: Find the kinetic energy of 2.0 moles of fluorine moving at a rate of 5.0 $\frac{m}{s}$.

Solution:

$$n = 2.0 moles$$

$$v = 5.0 \frac{m}{s}$$

$$m = 2.0 moles \times \frac{38.00 g}{1 mole} = 76 g = 7.6 \times 10^{-2} kg$$

$$E \kappa = \frac{1}{2} m v^{2}$$

$$= \frac{1}{2} \left(7.6 \times 10^{-2} kg \left(5.0 \frac{m}{s}\right)^{2}\right)$$

$$E \kappa = 0.95 J$$

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8. Problem: A force of 20 N acts on an area of $1.5 \times 10^{-3} m^2$ at a temperature of 25.0° C. If the temperature changes to -5.00° C, what will the new pressure be?

Solution:

$$P_{1} = \frac{\text{Force}}{\text{Area}}$$

$$P_{1} = \frac{20N}{1.5 \times 10^{-3} m^{2}}$$

$$P_{1} = 1.3 \times 10^{3} Pa \left(\frac{N}{m^{2}} = Pa\right)$$

$$P_{1} = 1.3 \kappa Pa$$

$$\frac{P_{1}}{T_{1}} = \frac{P_{2}}{T_{2}}$$

$$\frac{1.3 \kappa Pa}{298K} = \frac{P_{2}}{268K}$$

$$P_2 = 1.2 \ \kappa Pa$$

9. Problem: A sample of chlorine gas is collected over water. If there are 37 g of chlorine gas and 58 g of $H_2O_{(g)}$, find the partial pressure of each gas if the total pressure is 690 mm Hg.

Solution:

Find moles:

 $Total\ moles = 3.7405\ mol$

 $T_1 = 25.0^{\circ} C = 298 K$ $T_2 = -5.00^{\circ} C = 268 K$

Partial Pressure
$$Cl_{2(g)}$$

$$\frac{0.5219mol}{3.7405mol} \times 690mmHg = 96mmHg$$
 Partial pressure $H_2O_{(g)}$

$$\frac{3.2186mol}{3.7405mol} \times 690mmHg = 5.9 \times 10^{2} mmHg$$